

The OpenPose algorithm

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Overview

- ▶ Realtime multi-person 2D pose estimation.
- ▶ Human 2D pose estimation: problem of localizing anatomical keypoints or parts.
 - ▶ From an image captured with RGB smartphone/tablet camera, use Deep Learning to estimate positions of body joints.
 - ▶ Convolutional Neural Network (CNN) that enables to predict location of joints of interest!
- ▶ Open source algorithm.

OpenPose – Main ideas

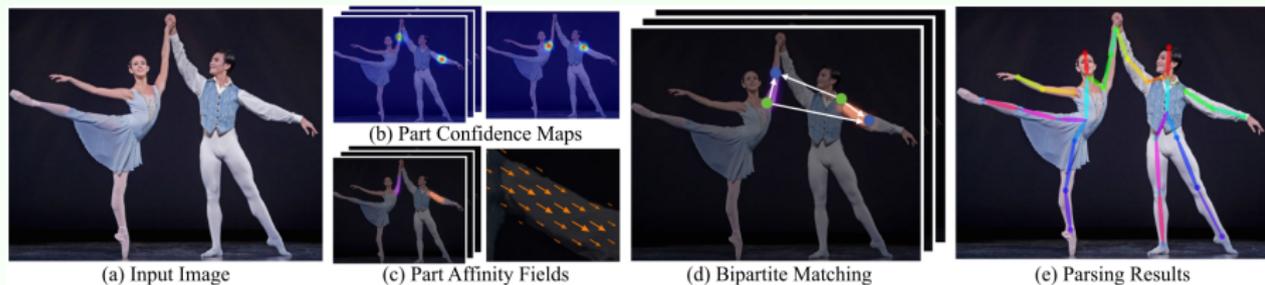
- ▶ **Input:** color image of size $w \times h$.
- ▶ **Output:** array of matrices, including:
 - ▶ A set of 2D **Confidence Maps (CMs)** $\mathbf{S} = (\mathbf{S}_1, \mathbf{S}_2, \dots, \mathbf{S}_J)$, where J is the number of parts, and $\mathbf{S}_j \in \mathbb{R}^{w \times h}$, $j \in \{1 \dots J\}$. \rightsquigarrow They show the **location of parts** (e.g., wrist, elbow, knee, etc.).



- ▶ A set of **Part Affinity Fields (PAFs)** $\mathbf{L} = (\mathbf{L}_1, \mathbf{L}_2, \dots, \mathbf{L}_C)$, where C is the number of **limbs** (or part pairs), and $\mathbf{L}_c \in \mathbb{R}^{w \times h \times 2}$, $c \in \{1 \dots C\}$. \rightsquigarrow Set of 2D vector fields that encode the **degree of association between parts**.



Pipeline

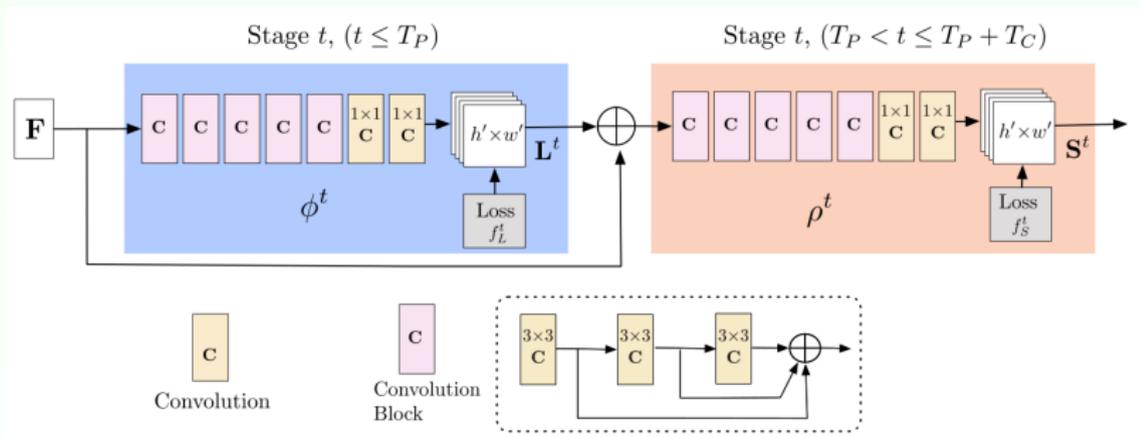


- ▶ **Input:** (a) color image of size $w \times h$.
- ▶ **Convolutional Neural Network:** jointly predicts (b) 2D CMs \mathbf{S} for part detection and (c) 2D vector fields \mathbf{L} of PAFs for part association.
- ▶ **Parsing step:** (d) performs a set of bipartite matchings to associate body part candidates in order to form limbs.
- ▶ **Output:** (e) assemble the 2D keypoints into full body poses for all people in the image.

Network Architecture

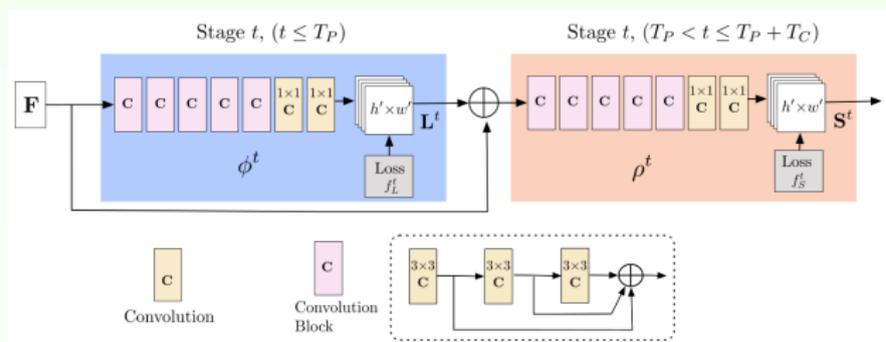
Multi-stage convolutional architecture

- ▶ Iteratively predicts PAFs \mathbf{L}^t (left branch) and CMs \mathbf{S}^t (right).



- ▶ **Iterative prediction architecture:** refines the prediction over successive stages, $t \in \{1, \dots, T\}$, with intermediate supervision at each stage.

Joint Detection and Association/1

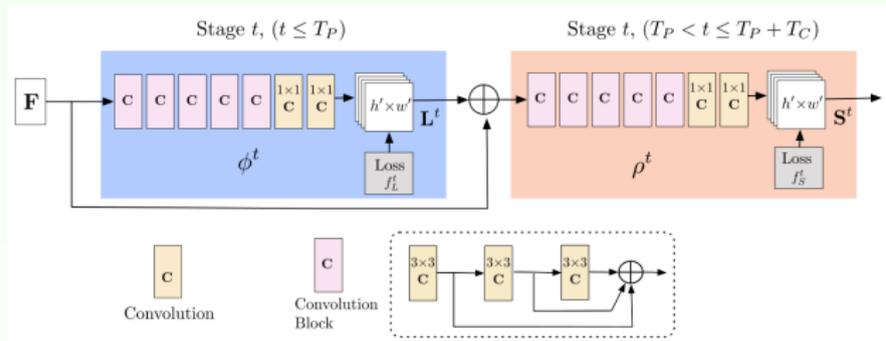


- ▶ The image is analyzed by a CNN, giving a set of feature maps \mathbf{F} .
- ▶ **First stage:** $\mathbf{L}^1 = \phi^1(\mathbf{F})$, where ϕ^1 is the CNN for inference at Stage 1.
- ▶ **Subsequent stages:** concatenation of the PAF predictions \mathbf{L}^{t-1} and the original \mathbf{F} to produce refined predictions:

$$\mathbf{L}^t = \phi^t(\mathbf{F}, \mathbf{L}^{t-1}), \quad 2 \leq t \leq T_P,$$

where ϕ^t refers to CNNs for inference at Stage t , and T_P is the total number of PAFs stages.

Joint Detection and Association/2



- After T_P iterations, the process is repeated for the CMs detection, starting with the most updated PAF prediction, L^{T_P} :

$$\mathbf{S}^{T_P} = \rho^{T_P}(\mathbf{F}, \mathbf{L}^{T_P}),$$

$$\mathbf{S}^t = \rho^t(\mathbf{F}, \mathbf{L}^{T_P}, \mathbf{S}^{t-1}), \quad T_P < t \leq T_P + T_C,$$

where ρ^t refers to CNNs for inference at Stage t , and T_C is the total number of CM stages.

Remark: Refined PAF predictions improve the CM results (the opposite does not hold).

Loss Functions

- ▶ To guide the network to predict **PAFs in the first branch** and **CMs in the second branch**, we apply a loss function at the end of each stage.
- ▶ L_2 loss between estimated predictions and groundtruth **fields** and **maps**.
- ▶ **Loss function of the PAF branch** at stage t_i :

$$f_L^{t_i} = \underbrace{\sum_{c=1}^C}_{\text{sum over all limbs}} \sum_{\mathbf{p}} \mathbf{W}(\mathbf{p}) \cdot \|\mathbf{L}_c^{t_i}(\mathbf{p}) - \mathbf{L}_c^*(\mathbf{p})\|_2^2.$$

- ▶ **Loss function of the CM branch** at stage t_k :

$$f_S^{t_k} = \underbrace{\sum_{j=1}^J}_{\text{sum over all parts}} \sum_{\mathbf{p}} \mathbf{W}(\mathbf{p}) \cdot \|\mathbf{S}_j^{t_k}(\mathbf{p}) - \mathbf{S}_j^*(\mathbf{p})\|_2^2.$$

- ▶ \mathbf{W} is a binary mask with $\mathbf{W}(\mathbf{p}) = 0$ when the annotation is missing at the pixel \mathbf{p} .
- ▶ Overall objective:

$$f = \sum_{t=1}^{T_P} f_L^t + \sum_{t=T_P+1}^{T_P+T_C} f_S^t.$$

Confidence Maps for Part Detection/1

- ▶ **Training:** to evaluate f_S , generate **groundtruth CMs** S^* from the annotated 2D keypoints.
- ▶ **Confidence map (CM):** 2D representation of the belief that a particular body part can be located in any given pixel.
 - ▶ **If single person** in image: **single peak** should exist in each CM if the corresponding part j is visible.
 - ▶ **If multiple people:** there should be a **peak** corresponding to each visible part j for each person k :



Confidence Maps for Part Detection/2

- ▶ For each person k , we generate **individual groundtruth CMs** $\mathbf{S}_{j,k}^*$

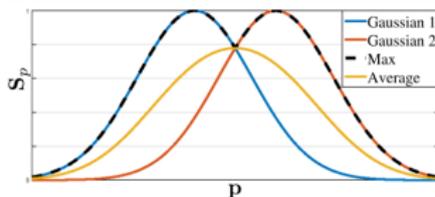
$$\mathbf{S}_{j,k}^*(\mathbf{p}) = \exp\left(-\frac{\|\mathbf{p} - \mathbf{x}_{j,k}\|_2^2}{\sigma^2}\right),$$

with $\mathbf{x}_{j,k}$ groundtruth position of body part j for person k , σ^2 variance.

- ▶ **Groundtruth CM for part j** : to evaluate f_s , aggregation of the **individual groundtruth CMs** via a **max operator**:

$$\mathbf{S}_j^*(\mathbf{p}) = \max_k \mathbf{S}_{j,k}^*(\mathbf{p}).$$

Max vs average: taking the max of the CMs instead of their average allows to keep distinct the nearby peaks:



Part Affinity Fields for Part Association/1

Given a set of detected body parts, how do we assemble them to form the limbs of an unknown number of people?

↪ Part Affinity Fields (PAFs).

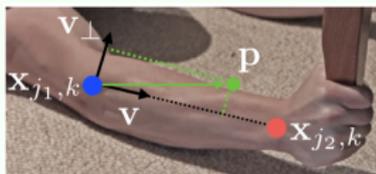
- ▶ They encode both **location** and **orientation** over the support of the limb.



- ▶ Each **PAF** is a **2D vector field** for each limb.
 - ▶ For each \mathbf{p} in the area belonging to a given limb, a 2D vector encodes the direction that points from one part of the limb to the other.
 - ▶ Each limb has a corresponding PAF joining its two associated body parts.

Part Affinity Fields for Part Association/2

Consider a single limb c :



- ▶ $\mathbf{x}_{j_1,k}$ and $\mathbf{x}_{j_2,k}$ groundtruth positions of body part j_1 (right elbow ●) and j_2 (right wrist ●) from the limb c for person k .
- ▶ **Training:** to evaluate f_L , define the **groundtruth PAF** $\mathbf{L}_{c,k}^*$ at an image point \mathbf{p} as

$$\mathbf{L}_{c,k}^*(\mathbf{p}) = \begin{cases} \mathbf{v} & \text{if } \mathbf{p} \text{ is on limb } c, \text{ for person } k, \\ \mathbf{0} & \text{otherwise,} \end{cases} \quad \mathbf{v} = \frac{\mathbf{x}_{j_2,k} - \mathbf{x}_{j_1,k}}{\|\mathbf{x}_{j_2,k} - \mathbf{x}_{j_1,k}\|_2}.$$

- ▶ **Groundtruth PAF for limb c :** average of the **groundtruth PAFs** of all people in the image, i.e.,

$$\mathbf{L}_c^*(\mathbf{p}) = \frac{1}{n_c(\mathbf{p})} \sum_k \mathbf{L}_{c,k}^*(\mathbf{p}),$$

where $n_c(\mathbf{p})$ is the number of nonzero vectors at \mathbf{p} across all k people.

Part Affinity Fields for Part Association/3

- ▶ **Testing:** we **measure the association** between two candidate part locations \mathbf{d}_{j_1} and \mathbf{d}_{j_2} by computing the line integral of the corresponding PAF along the line segment connecting \mathbf{d}_{j_1} and \mathbf{d}_{j_2} ,

$$E = \int_{u=0}^{u=1} \mathbf{L}_c(\mathbf{p}(u)) \cdot \frac{\mathbf{d}_{j_2} - \mathbf{d}_{j_1}}{\|\mathbf{d}_{j_2} - \mathbf{d}_{j_1}\|_2} du,$$

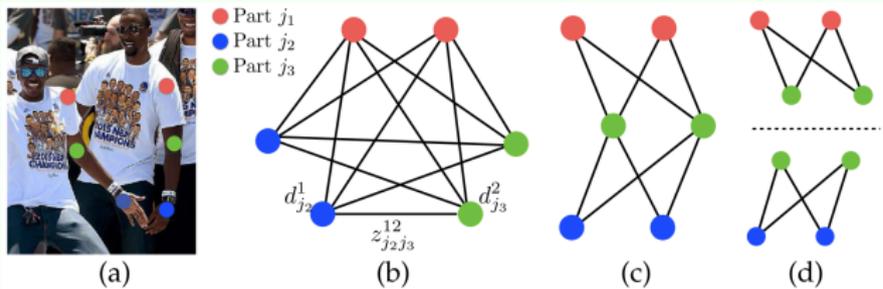
where $\mathbf{p}(u)$ is the parametrized segment connecting \mathbf{d}_{j_1} and \mathbf{d}_{j_2}

$$\mathbf{p}(u) = (1 - u)\mathbf{d}_{j_1} + u\mathbf{d}_{j_2}.$$

↪ This gives a score for each candidate limb.

Multi-Person Parsing Using PAFs/1

How do we handle the case of multiple people in the same image?



- ▶ Due to multiple people in the image, we may have several candidates for each part (Fig. (a)). Example: we have two candidates for both j_1 (left shoulder ●), j_2 (left hand ●), and j_3 (left elbow ●).
- ▶ Each candidate is scored using the line integral computation on the PAF, i.e.,

$$E = \int_{u=0}^{u=1} \mathbf{L}_c(\mathbf{p}(u)) \cdot \frac{\mathbf{d}_{j_2} - \mathbf{d}_{j_1}}{\|\mathbf{d}_{j_2} - \mathbf{d}_{j_1}\|_2} du.$$

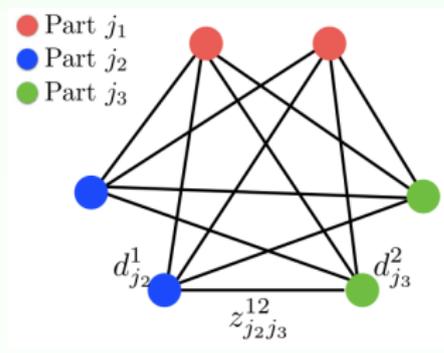
- ▶ Finding the optimal parse is a K -dimensional matching problem that is known to be NP-Hard (Fig. (c)).
- ▶ OpenPose uses a greedy relaxation that produces high-quality matches.

Multi-Person Parsing Using PAFs/2

- ▶ Set of body part detection candidates for multiple people:

$$\mathcal{D}_{\mathcal{J}} = \{\mathbf{d}_j^m : \text{for } j \in \{1 \dots J\}, m \in \{1 \dots N_j\}\}.$$

- ▶ Find the pairs of part detection candidates that are connected limbs.

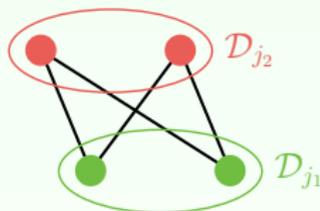


- ▶ $z_{j_1j_2}^{mn} \in \{0, 1\}$ indicates whether two detection candidates $\mathbf{d}_{j_1}^m$ and $\mathbf{d}_{j_2}^n$ are connected. Example: $z_{j_2j_3}^{12}$ for $\mathbf{d}_{j_2}^1$ and $\mathbf{d}_{j_3}^2$.
- ▶ **Goal:** find the optimal assignment for the set of all possible connections

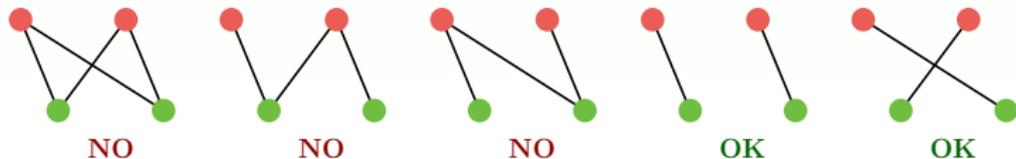
$$\mathcal{Z} = \{z_{j_1j_2}^{mn} : \text{for } j_1, j_2 \in \{1 \dots J\}, m \in \{1 \dots N_{j_1}\}, n \in \{1 \dots N_{j_2}\}\}.$$

Multi-Person Parsing Using PAFs/3

- ▶ Consider a single pair of parts j_1 and j_2 for the c th limb.



- ▶ Nodes of the graph: sets of body part detection candidates \mathcal{D}_{j_1} and \mathcal{D}_{j_2} .
- ▶ Edges: all possible connections between pairs of detection candidates.
Plus: each edge is weighted by the affinity score E_{mn} .
- ▶ Finding the optimal association reduces to a **maximum weight bipartite graph matching problem**.
 - ↪ A bipartite graph is a graph whose vertices can be divided into two disjoint and independent sets U and V such that every edge connects a vertex in U to one in V .
 - ↪ Matching: subset of the edges chosen s.t. no two edges share a node.



Multi-Person Parsing Using PAFs/4

- ▶ **Goal:** find a matching with maximum weight for the chosen edges, i.e.,

$$\max_{\mathcal{Z}_c} E_c = \max_{\mathcal{Z}_c} \sum_{m \in \mathcal{D}_{j_1}} \sum_{n \in \mathcal{D}_{j_2}} E_{mn} \cdot z_{j_1 j_2}^{mn},$$

$$\text{s.t. } \forall m \in \mathcal{D}_{j_1}, \sum_{n \in \mathcal{D}_{j_2}} z_{j_1 j_2}^{mn} \leq 1, \quad \forall n \in \mathcal{D}_{j_2}, \sum_{m \in \mathcal{D}_{j_1}} z_{j_1 j_2}^{mn} \leq 1,$$

where E_c : overall weight of the matching for limb type c , \mathcal{Z}_c : subset of \mathcal{Z} for limb type c , E_{mn} : part affinity score between parts \mathbf{d}_{j_1} and \mathbf{d}_{j_2} .

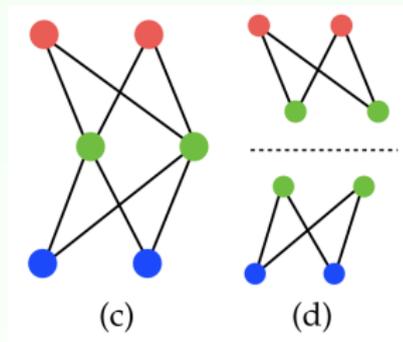
- ▶ The two inequalities enforce that no two edges share a node, i.e., no two limbs of the same type share a body part.
- ▶ Determining \mathcal{Z} is a NP-Hard problem.

↪ Add two relaxations to the optimization.

Multi-Person Parsing Using PAFs/5

↪ Add two relaxations to the optimization problem:

- (1) Choose a minimal number of edges to obtain a **spanning tree skeleton** (c) rather than using the complete graph.
- (2) Decompose the matching problem into a **set of bipartite matching subproblems** (d).
↪ We obtain the limb connection candidates for each limb type independently.

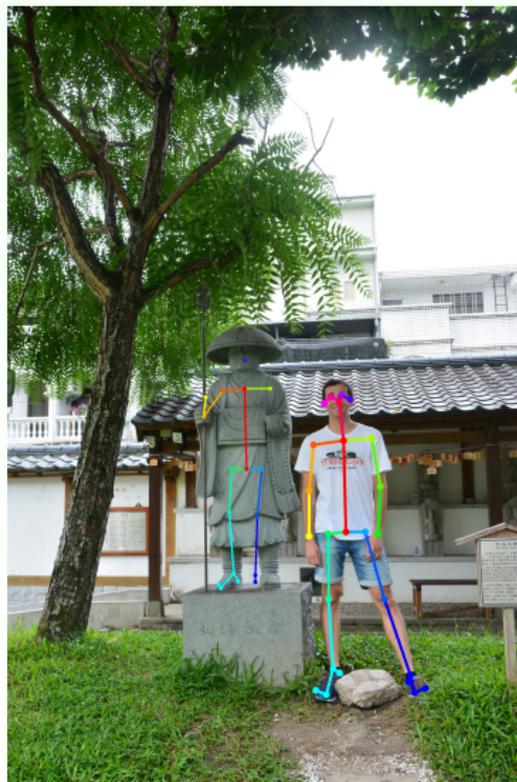


↪ With all limb connection candidates, we can assemble the connections that share the same part detection candidates into **full-body poses**.



Examples

↪ Latest portable version of OpenPose for Windows from
<https://github.com/CMU-Perceptual-Computing-Lab/openpose>.



Conclusions

- ▶ Open source.
- ▶ Efficient while preserving accuracy.
- ▶ Uses 2D videos/images instead of 3D.

References:

- [1] Z. Cao, G. Hidalgo, T. Simon, S.-E. Wei, and Y. Sheikh, "OpenPose: realtime multi-person 2D pose estimation using part affinity fields", IEEE Trans. Pattern Anal. Mach. Intell., vol. 43, no. 1, pp. 172–186, Jan. 2021.
- [2] Z. Cao, T. Simon, S.-E. Wei, and Y. Sheikh, "Realtime multi-person 2D pose estimation using part affinity fields", in Proc. IEEE Conf. Comput. Vis. Pattern Recognit., 2017, pp. 1302–1310.

謝謝！